## **ELECTROCHEMISTRY**



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Chemistry 223 Professor Michael Russell Last update: 4/29/24

**TRANSFER REACTIONS** 

#### Atom / Group transfer

HOAc(aq) +  $H_2O(I) \rightarrow OAc^{-1}(aq)$  +  $H_3O^+(aq)$ 

#### **Electron transfer**

 $Cu(s) + 2 Ag^+(aq) \rightarrow Cu^{2+}(aq) + 2 Ag(s)$ 

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## **TRANSFER REACTIONS**

#### **Electron Transfer Reactions:**

WHAT'S OXIDATION

ANYWAY

Cu(s) + 2 Ag<sup>+</sup>(aq)  $\rightarrow$  Cu<sup>2+</sup>(aq) + 2 Ag(s)

 $Cu(s) \rightarrow Cu^{2+}(aq) + 2 e^{-}$ 

and

 $2 \text{ Ag}^{+}(aq) + 2 e^{-} \rightarrow 2 \text{ Ag}(s)$ 

#### **Electron Transfer Reactions**

- Electron transfer reactions are oxidationreduction or redox reactions.
- Redox reactions can result in the generation of an electric current or be caused by imposing an electric current.
- Therefore, this field of chemistry is often called ELECTROCHEMISTRY.



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B.C.



GEE, I DON'T KNOW ... MY SCIENCE IS A LITTLE RUSTY.

**Blast from** 

the Past!

**OXIDATION** - loss of electron(s) by a species; increase in oxidation number. **REDUCTION** - gain of electron(s); decrease in oxidation number. **OXIDIZING AGENT - electron acceptor;** species is reduced. **REDUCING AGENT - electron donor;** REDOX/REACTIONS species is oxidized.

Review of Terminology for Redox Reactions







LEO

says

GER



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## Copper + Silver Ion



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**OXIDATION-REDUCTION** 

REACTIONS

Direct Redox Reaction Oxidizing and reducing agents in direct

contact.  $Cu(s) + 2 Ag^{+}(aq) \rightarrow Cu^{2+}(aq) + 2 Ag(s)$ 

#### Indirect Redox Reaction

A battery functions by transferring electrons through an external wire from the reducing agent to the oxidizing agent.





Batteries
Corrosion
Industrial production of chemicals such as Cl<sub>2</sub>, NaOH, F<sub>2</sub> and Al
Biological redox

• Biological redo

A rusted car

The heme group

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## Electrochemical Cells

- An apparatus that allows a redox reaction to occur by transferring electrons through an external connector.
- Product favored reaction ---> voltaic or galvanic cell ----> electric current created
- Reactant favored reaction ---> electrolytic cell ---> electric current used to cause chemical change

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Batteries are voltaic cells

## **Famous Electrochemists**



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Alessandro Volta. 1745-1827, Italian scientist and inventor.



Luigi Galvani, 1737-1798, Italian scientist and

inventor.





# Balancing Equations for Redox Reactions

Some redox reactions have equations that must be balanced by special techniques.



MnO<sub>4</sub>- + 5 Fe<sup>2+</sup> + 8 H<sup>+</sup> Mn = +7 Fe = +2



See: Redox Reactions Handout

## **Balancing Equations**

Consider the reduction of Ag<sup>+</sup> ions with copper metal.



Cu + Ag+ --gives--> Cu<sup>2+</sup> + Ag

## **Balancing Equations**

Step 1: Divide the reaction into half-reactions, one for oxidation and the other for reduction.  $Cu \rightarrow Cu^{2+}$ Ох Red  $Ag^+ \rightarrow Ag$ Step 2: Balance each for mass. Already done in this case. Step 3: Balance each half-reaction for charge by adding electrons. Ох  $Cu \rightarrow Cu^{2+} + 2e^{-}$ Red  $Ag^+ + e^- \rightarrow Ag$ 

## **Balancing Equations**

Step 4: Multiply each half-reaction by a factor that means the reducing agent supplies as many electrons as the oxidizing agent requires.

Reducing agent Cu  $\rightarrow$  Cu<sup>2+</sup> + 2e-

Oxidizing agent 2 Ag<sup>+</sup> + 2 e-  $\rightarrow$  2 Ag

Step 5: Add half-reactions to give the overall equation.

$$Cu + 2 Ag^+ \rightarrow Cu^{2+} + 2 Ag$$

The equation is now balanced for both charge and mass.

#### Reduction of $VO_{2^+}$ with Zn



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## **Balancing Equations**

Balance the following in *acidic* solution-

+ Zn → VO²+ + Zn²+
Write the half-reactions
$Zn \rightarrow Zn^{2+}$
$VO_2^+ \rightarrow VO^{2+} (V^{5+} \rightarrow V^{4+})$
Balance each half-reaction for mass
$Zn \rightarrow Zn^{2+}$
$VO_2^+ \rightarrow VO^{2+} + H_2O$

#### **Balancing Equations**

Balance the following in *acidic* solution-

VO <sub>2</sub>	+ + Zn → VO²+ + Zn²+
Step 1:	Write the half-reactions
Ox	$Zn \rightarrow Zn^{2+}$
Red	$VO_2^+ \rightarrow VO^{2+} (V^{5+} \rightarrow V^{4+})$
Step 2:	Balance each half-reaction for mass.
Ох	Zn → Zn²+

Red  $2 H^+ + VO_2^+ \rightarrow VO^{2+} + H_2O$ 

Add H<sub>2</sub>O on O-deficient side and add H<sup>+</sup> on other side for balancing hydrogen

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## **Balancing Equations**

Step 3: Ox	Balance half-reactions for charge. $Zn \rightarrow Zn^{2+} + 2e$ -		
Red	$e^{-} + 2 H^{+} + VO_2^{+} \rightarrow VO^{2+} + H_2O$		
Step 4:	Multiply by an appropriate factor.		
Ox	$Zn \rightarrow Zn^{2+} + 2e$ -		
Red	2 e- + 4 H <sup>+</sup> + 2 VO <sub>2</sub> <sup>+</sup> $\rightarrow$ 2 VO <sup>2+</sup> + 2 H <sub>2</sub> O		
Step 5:	Add half-reactions		
Zn	+ 4 H <sup>+</sup> + 2 VO <sub>2</sub> <sup>+</sup> $\rightarrow$ Zn <sup>2+</sup> + 2 VO <sup>2+</sup> + 2 H <sub>2</sub> O		

## **Balancing Equations**

 $MnO_{4^{-1}} = permanganate$  $MnO_{4^{2^{-}}} = manganate$ 

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#### **Balancing Equations**

Balance and ferretring in Backe contaiton				
MnC	$D_4^{1-} + HO_2^{-} \rightarrow MnO_4^{2-} + O_2$			
Step 1:	Write the half-reactions			
Ox	$HO_2^{-} \rightarrow O_2$ (peroxide: $O^{-1} \rightarrow O^0$ )			
Red	$MnO_4^{1-} \rightarrow MnO_4^{2-}$ (Mn <sup>7+</sup> $\rightarrow$ Mn <sup>6+</sup> )			
Step 2:	Balance each half-reaction for mass.			
Red	MnO₄¹- → MnO₄²-			

 $Ox \qquad OH + HO_2 \rightarrow O_2 + H_2O$ 

Add H<sub>2</sub>O on H-deficient side and add OH- on other side for balancing oxygen



Step	3: Balance half-reactions for charge.			
Ох	$OH^{\cdot} + HO_2^{\cdot} \rightarrow O_2 + H_2O + 2e^{-1}$			
Red	e- + $MnO_4^1$ → $MnO_4^2$ ·			
Step	4: Multiply by an appropriate factor.			
Ох	$OH^{\cdot} + HO_2^{\cdot} \rightarrow O_2 + H_2O + 2e^{-1}$			
Red	2 e- + 2 MnO₄¹· → 2 MnO₄²·			
Step	5: Add half-reactions			
$OH^{-} + HO_{2^{-}} + 2 MnO_{4^{1-}}$				
	$\rightarrow$ O <sub>2</sub> + H <sub>2</sub> O + 2 MnO <sub>4</sub> <sup>2-</sup>			

Add H₂O on H-deficient side and add OH on other side for balancing oxygen **in basic solution** 

#### Alternate Basic Balancing Method

Balance basic reactions first with acid, then "neutralize" with OH Previous example:				
$MnO_4^{1} + HO_2^{-} \rightarrow MnO_4^{2} + O_2^{-}$				
Step 1:	Write the half-reactions			
Ox	$HO_{2} \rightarrow O_{2}$			
Red	$MnO_4^{1-} \rightarrow MnO_4^{2-}$			
$\begin{array}{llllllllllllllllllllllllllllllllllll$				
Red	$MnO_4^{1-} \rightarrow MnO_4^{2-}$			
Ох	$HO_2^{-} \rightarrow O_2 + H^+$			
Add $H^{+}$ to H-deficient side and $H_2O$ to balance oxygen				

#### **Alternate Basic Balancing Method**

Step 3:	Balance half-reactions for charge.		
Ox	$HO_{2^{-}} \rightarrow O_{2} + H^{+} + 2e^{-}$		
Red	<mark>e-</mark> + MnO₄¹- → MnO₄²-		
Step 4:	Multiply by an appropriate factor.		
Ox	$HO_2^{\cdot} \rightarrow O_2 + H^+ + 2e^-$		
Red	2 e- + 2 MnO₄¹· → 2 MnO₄²·		
Step 5:	Add half-reactions		
HO <sub>2</sub> -	+ 2 $MnO_4^{1-} \rightarrow O_2$ + H <sup>+</sup> + 2 $MnO_4^{2-}$		

This equation is balanced for pH < 7 but not base

#### Alternate Basic Balancing Method

 Step 6:
 Neutralize H\* by adding OH.

 H\* and OH· make H<sub>2</sub>O.
 Add OH· to both sides of equation

$$HO_{2}^{-} + 2 MnO_{4}^{1-} + OH^{-} \rightarrow$$

$$O_{2} + H^{+} + OH^{-} + 2 MnO_{4}^{2-}$$

$$HO_{2}^{-} + 2 MnO_{4}^{1-} + OH^{-}$$

Use either method to balance basic redox reactions Also see the <u>Redox Reactions Handout</u>

 $\rightarrow$  O<sub>2</sub> + H<sub>2</sub>O + 2 MnO<sub>4</sub><sup>2-</sup>

Tips on Balancing Equations

- Determine the pH of the reaction.
- Never add O<sub>2</sub>, O atoms, or O<sup>2-</sup> to balance oxygen.
- Never add H<sub>2</sub> or H atoms to balance hydrogen.
- Be sure to write the correct charges on all the ions.
- Check your work at the end to make sure mass and charge are balanced.
- See: <u>Redox Reactions</u> <u>Handout</u>

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#### CHEMICAL CHANGE --> ELECTRIC CURRENT To obtain a useful current, we separate the oxidizing and reducing agents so that

we separate the oxidizing and reducing agents so that electron transfer occurs through an external wire.

This is accomplished in a GALVANIC or VOLTAIC cell.

A group of such cells is called a battery.



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Salt Bridge



#### SHORTHAND NOTATION for GALVANIC CELLS

*Example:* Describe the following *galvanic* cell:

Cu(s) | Cu<sup>2+</sup>(1.0 M) || Cl<sub>2</sub>(1.0 atm) | Cl<sup>-</sup>(1.0 M) | Pt(s)

Solution:

The anode (oxidation) is:  $\textbf{Cu(s)} \rightarrow \textbf{Cu}^{2+}{}_{(aq)}\textbf{+2}$  eand  $[\textbf{Cu}^{2+}] = 1.0 \text{ M}$ 

The **cathode** (reduction) is:  $Cl_2(g) + 2 e^- \rightarrow 2 Cl_{(aq)}$ and [Cl-] = 1.0 M and P(Cl<sub>2</sub>) = 1.0 atm

The cathode uses a **Platinum electrode** to transfer electrons to the  $\text{Cl}_{2(g)}$ . The Pt does not react chemically with the electrons

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Electrons move from anode to cathode in the wire. Anions (mostly) move through the salt bridge.



## Sign of Battery Terminals (Galvanic Cells Only)



(anode) and to the "positive" terminal (cathode) in Galvanic cells

Electrolytic cells use opposite signs

## **Electromotive Force (emf)**



Water only spontaneously flows one way in a waterfall.

Likewise, electrons only spontaneously flow one way in a redox reaction from higher to lower potential energy.

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For Zn/Cu cell, this is indicated by a voltage of 1.10 V at 25 °C and when  $[Zn^{2+}]$  and  $[Cu^{2+}] = 1.0$  M.

Note that 1 V = 1 J/C, more on this later





For Zn/Cu cell, voltage is 1.10 V at 25  $^{\circ}$ C and when [Zn<sup>2+</sup>] and [Cu<sup>2+</sup>] = 1.0 M.

#### This is the STANDARD CELL POTENTIAL, E°

E° (measured in Volts, V) is a quantitative measure of the tendency for reactants to proceed to products when all are in their standard states at 1.0 M and 25 °C.



Balanced half-reactions can be added together to get overall, balanced equation.

 $Zn(s) \rightarrow Zn^{2+}(aq) + 2e Cu^{2+}(aq) + 2e- \rightarrow Cu(s)$ 

 $Cu^{2+}(aq) + Zn(s) \rightarrow Zn^{2+}(aq) + Cu(s)$ 

If we know E<sup>o</sup> for each half-reaction, we can calculate E<sup>o</sup> for net reaction.

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## CELL POTENTIALS, Eº

Cannot measure 1/2 reaction E° directly. Therefore, measure it relative to a STANDARD HYDROGEN CELL, SHE.

(SHE = Standard Hydrogen Electrode)

2 H⁺(aq, 1 M) + 2e-  $\rightleftharpoons$  H<sub>2</sub>(g, 1 atm)

#### E° = 0.00 V

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#### Cu/Cu<sup>2+</sup> and H<sub>2</sub>/H<sup>+</sup> Cell



Therefore, E° for Cu<sup>2+</sup> + 2e-  $\rightarrow$  Cu is +0.34 V

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#### Zn/Cu Electrochemical Cell



#### Uses of E° Values



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Example:

#### Standard Redox Potentials, E°



Any substance on the right will reduce any substance higher than it on the left.

Northwest-southeast rule: product-favored reactions occur between reducing agent at southeast corner (anode) and oxidizing agent at northwest corner (cathode).

#### Calculating E<sup>o</sup> (Michael's Method)

Flip one half-reaction from table (and E value), then add oxidation and reduction values *Example:* Determine E<sup>°</sup> for the following:  $2 \text{ Al} + 3 \text{ Ni}^{2+} \rightarrow 2 \text{ Al}^{3+} + 3 \text{ Ni}$ Solution: From redox tables we find:  $AI^{3+}$  + 3  $e^- \rightarrow AI E^- = -1.66 V$  $Ni^{2+}$  + 2 e<sup>-</sup>  $\rightarrow$  Ni E<sup>-</sup> = -0.25 V Ni<sup>2+</sup> ok as written; need to flip Al<sup>3+</sup> reaction to: Al  $\rightarrow$  Al<sup>3+</sup> + 3 e<sup>-</sup> E<sup>-</sup> = +1.66 V So: E' = 1.66 - 0.25 = 1.41 V





#### More About Calculating Cell Voltage Can I: ion reduce water? From tables:

Assuming reaction occurs as written,  $E^{\circ}_{net} = E^{\circ}_{red} + E^{\circ}_{ox} = -0.828 \text{ V} - 0.535 \text{ V} = -1.363 \text{ V}$ Minus  $E^{\circ}$  means r×n occurs in opposite direction!  $I_2 + 2OH^- + H_2 \rightarrow 2I^- + 2H_2O \quad E^{\circ} = +1.363 \text{ V}$ 

I- ion does not reduce water spontaneously!



#### More About Calculating Cell Voltage

Can we make the I ion reduce water?  $2I + 2H_2O \rightarrow I_2 + 2OH + H_2 = 1.363 V$ Non-spontaneous (negative E°) reactions can be

"forced" to occur with external voltage

Voltage can be applied through battery, other voltaic cells, etc.

Applying 1.363 V to the above electrolytic cell will cause the I<sup>-</sup> reduce water - electrolysis

Are we cheating the second law of thermodynamics?

## $\mathbf{E}^{\circ}$ and $\Delta \mathbf{G}^{\circ}$

E° is related to  $\Delta$ G°, the free energy change for the reaction.

#### $\Delta \mathbf{G}^{\circ} = -\mathbf{n} \mathbf{F} \mathbf{E}^{\circ}$

where F = Faraday constant = 9.6485 x 10<sup>4</sup> C/mol e<sup>-</sup> and n is the number of moles of

electrons transferred

Memorize the value of F! MAR Always use 96485 for F!



Michael Faraday 1791-1867

## $\mathbf{E}^{\circ}$ and $\Delta \mathbf{G}^{\circ}$

∆G° = - n F E°

For a product-favored reaction Reactants  $\rightarrow$  Products  $\Delta G^{\circ} < 0$  and so  $E^{\circ} > 0$  $E^{\circ}$  is positive For a reactant-favored reaction

> Reactants  $\leftarrow$  Products  $\triangle G^{\circ} > 0$  and so  $E^{\circ} < 0$  $E^{\circ}$  is negative



#### Quantitative Aspects of Electrochemistry

Consider electrolysis of aqueous silver ion. Ag<sup>+</sup> (aq) + e-  $\rightarrow$  Ag(s)

1 mol e- → 1 mol Ag

If we could measure the moles of e-, we could know the quantity of Ag formed. But how to measure moles of e-?

 $Current = \frac{charge passing}{time} \qquad I (amps) = \frac{coulombs}{seconds}$ 

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#### **Quantitative Aspects of Electrochemistry**

 $Amps = \frac{coulombs}{seconds}$ 

- A current of 1.50 amps (1.50 C/s) flows through a Ag\*(aq) solution for 15.0 min. What mass of Ag metal is deposited?
- Solution
- (a) Calculate charge in Coulombs (C) 1.50 amps = 1.50 C/s
- = (1.50 C/s)(60 s/min)(15.0 min) = 1350 C

 $Amps = \frac{coulombs}{cocord}$ 

seconds

Quantitative Aspects of Electrochemistry

A current of 1.50 amps (1.50 C/s) flows through a Agt(aq) solution for 15.0 min. What mass of Ag metal is deposited? Solution

- (a) Charge = 1350 C
- (b) Calculate moles of e- used (F = 96,485 C/mol e-)

1350 C •  $\frac{1 \text{ mol e}}{96,485 \text{ C}} = 0.0140 \text{ mol e}$ -

(c) Calc. quantity of Ag

$$0.0140 \text{ mol e} - \bullet \frac{1 \text{ mol } \text{Ag}}{1 \text{ mol e}} = 0.0140 \text{ mol Ag or } 1.51 \text{ g Ag}$$

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Quantitative Aspects of ElectrochemistryThe anode reaction in a lead storage battery is  

$$Pb(s) + HSO_4(aq) \rightarrow PbSO_4(s) + H^*(aq) + 2e$$
.  
If a battery delivers 1.50 amp, and you have 454 g of Pb, how long  
will the battery last?Solutiona)454 g Pb = 2.19 mol Pbb)Mol of  $e - = 4.38$  molc)Charge = 423,000 Cd)Calculate timeTime  $(s) = \frac{Charge (C)}{I (amps)}$ Time  $(s) = \frac{423,000 \text{ C}}{1.50 \text{ amp}} = 282,000 \text{ s}$ 

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#### **Quantitative Aspects of Electrochemistry**

The anode reaction in a lead storage battery is  $Pb(s) + HSO_4(aq) \rightarrow PbSO_4(s) + H^+(aq) + 2e$ -If a battery delivers 1.50 amp, and you have 454 g of Pb, how long will the battery last? Solution a) 454 g Pb = 2.19 mol Pb b) Calculate moles of e-

2.19 mol Pb • 
$$\frac{2 \text{ mol e}}{1 \text{ mol Pb}} = 4.38 \text{ mol e}$$

c) Calculate charge 4.38 mol e- • 96,485 C/mol e- = 423,000 C

## The Nernst Equation

Q, the reaction quotient, can be related to non standard cell potentials, E

E is related to Q, the reaction quotient, by:

 $E = E^{\circ} - (RT/nF) \ln Q$ 

where R = Gas constant (8.3145 J/K mol) T = Temperature (K) F = Faraday constant E° = standard cell potential and n = the number of moles of electrons transferred This is the Nernst Equation (<u>Handout</u>)

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## **The Nernst Equation**

 $Cu^{2+}(aq) + Zn(s) \rightarrow Zn^{2+}(aq) + Cu(s)$ For Zn/Cu cell, voltage is 1.10 V at 25 °C when [Zn<sup>2+</sup>] and [Cu<sup>2+</sup>] = 1.0 M



Adding  $Cu^{2*}_{(aq)}$  shifts reaction right (Le Chatelier's Principle), making reaction more spontaneous ( $\Delta G$ ) and E° more positive

## The Nernst Equation

Example: Find E when  $[Zn^{2+}] = 0.0010 \text{ M}$ ,  $P(H_2) = 0.10 \text{ atm}$  and pH = 0 at 290. K.

Solution: Find E° for reaction under standard conditions first

$Zn(s) \rightarrow Zn^{2+}(aq)$	+ 2e-	E° = 0.76 V
2 H⁺(aq) + 2e- →	H <sub>2</sub> (g)	E° = 0.00 V

Note that n = 2

### **The Nernst Equation**

Use Nernst Equation: E = E° - (RT/nF) In Q E = 0.76 V - (8.3145 \* 290. K / 2 \* 96485) In Q [H+] = 10<sup>-pH</sup> M = 10<sup>-0</sup> M = 1.0 M Q = [Zn<sup>2+</sup>] \* P<sub>H2</sub> / [H+]<sup>2</sup> = [0.0010 \* 0.10 / (1.0)<sup>2</sup>]

E = 0.76 V + 0.12 V = 0.88 V

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## E° and K

At Equilibrium (K), combine ∆G expressions for E° and K to get:

$$E^{\circ} = \frac{RT}{nF} \ln K$$

If at 298 K, can use:

$$\mathrm{E}^{\circ} = \frac{0.0257}{\mathrm{n}} \, \ln \mathrm{K}$$

Only valid at 298 K! Find equilibrium constants from E<sup>-</sup> data!

#### **Electrochemical Processes in Batteries**

A **battery** consists of self-contained voltaic cells arranged in series, so their individual voltages are added.

A **primary battery** cannot be recharged. The battery is "dead" when the cell reaction has reached equilibrium.

A **secondary battery** is rechargeable. Once it has run down, electrical energy is supplied to reverse the cell reaction and form more reactant.









 $\begin{array}{ll} \text{Anode (oxidation):} & \text{Zn}(s) + 2\text{OH}(aq) \rightarrow \text{ZnO}(s) + \text{H}_2\text{O}(l) + 2\text{e} \\ \text{Cathode (reduction):} & \text{Ag}_2\text{O}(s) + \text{H}_2\text{O}(l) + 2\text{e} \rightarrow 2\text{Ag}(s) + 2\text{OH}(aq) \\ \text{Overall (cell) reaction:} & \text{Zn}(s) + \text{Ag}_2\text{O}(s) \rightarrow \text{ZnO}(s) + 2\text{Ag}(s) \\ & E_{\text{cell}} = 1.6 \text{ V} \end{array}$ 





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## Nickel-Cadmium Battery

Anode (-):  $Cd + 2 OH \rightarrow Cd(OH)_2 + 2e$ - Cathode (+):  $NiO(OH) + H_2O + e \rightarrow Ni(OH)_2 + OH$ - Overall cell:  $2 NiO(OH) + 2 H_2O + Cd \rightarrow 2 Ni(OH)_2 + Cd(OH)_2$  $E_{cell} = 1.4 V$ 

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## **Lithium Battery**



The primary lithium battery is widely used in watches, implanted medical devices, and remote-control devices.

 $\begin{array}{l} \mbox{Anode (oxidation):} \\ 3.5Li(s) \rightarrow 3.5Li^{+} + 3.5e^{-} \\ \mbox{Cathode (reduction):} \\ \mbox{AgV}_{2O_{5.5}} + 3.5Li^{+} + 3.5e^{-} \rightarrow Li_{3.5}V_{2}O_{5.5} \\ \mbox{Overall (cell) reaction:} \\ \mbox{AgV}_{2O_{5.5}} + 3.5Li(s) \rightarrow Li_{3.5}V_{2}O_{5.5} \\ \end{array}$ 



Lithium-Ion Battery

 $\begin{array}{l} Anode \mbox{ (oxidation):} \\ Li_{x}C_{6}(s) \rightarrow xLi^{+} + xe^{-} + C_{6}(s) \\ Cathode \mbox{ (reduction):} \\ Li_{1-x}Mn_{2}O_{4}(s) + xLi^{+} + xe^{-} \rightarrow LiMn_{2}O_{4}(s) \\ Overall \mbox{ (cell) reaction:} \\ Li_{x}C_{6}(s) + Li_{1-x}Mn_{2}O_{4}(s) \rightarrow LiMn_{2}O_{4}(s) \\ E_{cell} = 3.7 \ V \end{array}$ 

The secondary (rechargeable) lithium-ion battery is used to power laptop computers, cell phones, and camcorders.

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## Hydrogen Fuel Cell

In a **fuel cell** reactants enter the cell and products leave, generating electricity through controlled combustion. Reaction rates are lower in fuel

cells than in other batteries, so an *electrocatalyst* is used to decrease the activation energy.



Anode (oxidation): Cathode (reduction): Overall (cell) reaction: 
$$\begin{split} & 2\mathrm{H}_2(g) \to 4\mathrm{H}^*(aq) + 4\mathrm{e}^{\cdot} \\ & \mathrm{O}_2(g) + 4\mathrm{H}^*(aq) + 4\mathrm{e}^{\cdot} \to 2\mathrm{H}_2\mathrm{O}(g) \\ & 2\mathrm{H}_2(g) + \mathrm{O}_2(g) \to 2\mathrm{H}_2\mathrm{O}(g) \quad E_{\mathrm{cell}} = 1.2 \ \mathrm{V} \end{split}$$

#### **Electrolysis**

Using external electrical energy to produce chemical change in a nonspontaneous reaction Sn<sup>2</sup>+(aq) + 2 Cl·(aq) → Sn(s) + Cl<sub>2</sub>(g)



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#### A tin-copper reaction as a voltaic and electrolytic cell



 $\operatorname{Sn}(s) \to \operatorname{Sn}^{2+}(aq) + 2e$  $\operatorname{Cu}^{2+}(aq) + 2e \to \operatorname{Cu}(s)$ 

$$\begin{split} \mathrm{Cu}^{2+}(aq) + \mathrm{Sn}(s) &\to \mathrm{Cu}(s) + \mathrm{Sn}^{2+}(aq) \\ \textit{voltaic cell}, \ E_{cell} = 0.48 \ V \end{split}$$

Extended a constraint than 0.42 V Califordia Andolo Sn  $\rightarrow$  Sall bridge  $\rightarrow$  Cu<sup>2+</sup> Cu<sup>2+</sup> Cu 1 M Sn<sup>2+</sup> Cu(s)  $\rightarrow$  Cu<sup>2+</sup>(aq) + 2c Sn<sup>2+</sup>(aq) + 2c  $\rightarrow$  Sn(s)

 $\frac{\operatorname{Sn}^{2+}(aq) + 2e \cdot \rightarrow \operatorname{Sn}(s)}{\operatorname{Sn}^{2+}(aq) + \operatorname{Cu}(s) \rightarrow \operatorname{Sn}(s) + \operatorname{Cu}^{2+}(aq)}$ electrolytic cell,  $E_{cell} = -0.48$  V

Electrolysis of Aqueous NaOH Electric Energy ----> Chemical Change

Anode (+)  $E^{\circ} = -0.40 V$ 4 OH-  $\rightarrow$  O<sub>2</sub>(g) + 2 H<sub>2</sub>O + 2e-

Cathode (-)  $E^\circ = -0.83 V$ 4 H<sub>2</sub>O + 4e-  $\rightarrow$  2 H<sub>2</sub> + 4 OH-E<sup>o</sup> for cell = -1.23 V





**Electrolysis of Aqueous NaCl** 

Anode (+) E° = -1.36 V  $2 \text{ Cl} \rightarrow \text{Cl}_2(g) + 2e$ -Cathode (-) E° = -0.83 V  $2 H_2O + 2e \rightarrow H_2 + 2 OH^$ electrons E° for cell = -2.19 V BATTERY Note that H<sub>2</sub>O is more easily reduced than Na+. (+Θ Anode Cathode Also, CI<sup>-</sup> is oxidized in preference to H<sub>2</sub>O because CI⁻ Nat of kinetics. H<sub>2</sub>O

#### **Electrolysis of Aqueous NaCl**

Cells like these are the source of NaOH and Cl<sub>2</sub>.



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### **Producing Aluminum**

 $2 \operatorname{Al}_2 \operatorname{O}_3 + 3 \operatorname{C} \rightarrow 4 \operatorname{Al} + 3 \operatorname{CO}_2$ 



Charles Hall (1863-1914) developed electrolysis process, founded Alcoa (alcoa.com)



- Chapter Seventeen Study Guide
   Chapter Seventeen Concept Guide
   Types of Equilibrium Constants
- Important Equations (following this slide)
- End of Chapter Problems (following this slide)

## End of Chapter 17



#### Important Equations, Constants, and Handouts from this Chapter:

Redox Reactions: oxidation, reduction, LEO, GER, oxidizing agent, reducing agent, anode, cathode, galvanic/voltaic cells, electrolysis (electrolytic cells), shorthand notation for galvanic cells, SHE electrode

- know how to balance redox reactions in acid or base conditions
- · be able to calculate E° and E for cells

 $\Delta G^{\circ} = - n F E^{\circ}$  $Amps = \frac{coulombs}{seconds}$  $E = E^{\circ} - (RT/nF) \ln Q$ 

R = 8.3145 J mol<sup>-1</sup> K<sup>-1</sup> F = 9.6485 x 10<sup>4</sup> C/mol e-

$$E^{\circ} = \frac{RT}{nF} \ln K$$

Handouts: Thermodynamic Values and Electrochemical Cell Values (Problem Set #5) End of Chapter Problems: Test Yourself

You will need the table of reduction potentials found in problem set #5

- 1. Write a balanced equation for the following half-reaction:  $VO_3\ensuremath{^{-1}}(aq) \to V^{2*}$
- (aq) (in acid) 2. Write a balanced equation for the following half-reaction:  $Ag(s) \rightarrow$
- 2. Write a balanced equation to be bolowing that reduces  $T_{\rm sq}(r)$ Ag<sub>2</sub>O(s) (in base) 3. Balance the following redox equation in acid:  $Zn(s) + NO_3^{-1}(aq) \rightarrow Zn^{2+}$
- Balance the following redox equation in acid: Zn(s) + NO<sub>3</sub>-1(aq) → Zn<sup>2+</sup> (aq) + N<sub>2</sub>O(g)
   Balance the following redox equation in base: CrO<sub>4</sub><sup>2</sup> (aq) + SO<sub>3</sub><sup>2</sup> (aq) → Cr(OH)<sub>3</sub>(s) + SO<sub>4</sub><sup>2</sup> (aq)
   Balance the following *unbalanced* equation in acid, then calculate the standard redox potential, E<sup>\*</sup>. Cu(s) + NO<sub>3</sub>-1(aq) → Cu<sup>2+</sup>(aq) + NO(g)
   Calculate E<sup>\*</sup>, ΔG<sup>\*</sup> and the equilibrium constant for the following reaction: 2 Fe<sup>3+</sup>(aq) + 2 I<sup>-1</sup>(aq) → 2 Fe<sup>2+</sup>(aq) + I<sub>2</sub>(aq)

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#### End of Chapter Problems: Answers

- 1.  $VO_{3^{-}}(aq) + 6 H^{+}(aq) + 3 e^{-} \rightarrow V^{2^{+}}(aq) + 3 H_{2}O(I)$ 2.  $2 Ag(s) + 2 OH^{-}(aq) \rightarrow Ag_{2}O(s) + H_{2}O(I) + 2 e^{-}$ 3.  $4 Zn(s) + 2 NO_{3^{-}}(aq) + 10 H^{+}(aq) \rightarrow 5 H_{2}O(I) + 4 Zn^{2^{+}}(aq) + N_{2}O(g)$ 4.  $2 CrO_{4^{-}}(aq) + 5 H_{2}O(I) + 3 SO_{3^{-}}(aq) \rightarrow 2 Cr(OH)_{3}(s) + 4 OH^{-}(aq) + 3 SO_{3^{-}}(aq) + 3 H_{3}O(I) + 3 H_{3}O($
- SO<sub>4</sub><sup>2</sup>(aq) 5. 3 Cu(s) + 2 NO<sub>3</sub><sup>-1</sup>(aq) + 8 H<sup>+</sup>(aq) → 2 NO(g) + 3 Cu<sup>2+</sup>(aq) + 4 H<sub>2</sub>O(l),  $E^{\circ} = 0.62$  V
- 6.  $E^{\circ} = 0.236 \text{ V}, \Delta G^{\circ} = -45.5 \text{ kJ}, \text{ K} = 9 \times 10^7$

You will need the table of reduction potentials found in problem set #5